

Exercises for the Calorimeter Reconstruction and Machine Learning Workshop 2024

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1. The nuclear interaction length of a material is given by

$$\lambda_{\text{int}} = \frac{A}{N_A \rho \sigma_{\text{tot}}} \approx 35 \text{g/cm}^2 A^{1/3} \quad (1)$$

while as a reminder the radiation length is defined as

$$X_0 = \text{const.} \frac{A}{N_A \sigma_{\text{pair}}} \propto A/Z^2. \quad (2)$$

Plot both nuclear interaction length and radiation length for as a function of A and Z. Put markers for materials in our material list for simulation.

2. Adapt your EM calorimeter to also capture Hadronic showers.
 - a) Plot the deposited energy per sensor layer for a few example events caused by pions to get a feeling for the shower development.
 - b) What happens in terms of performance, cost etc.?
 - c) Also create a DNN and train it to regress the initial particle energy. How do energy sum and DNN regression relate qualitatively?
 - d) Produce a resolution plot as a function of true energy (same as CMS plot from EM lecture).
3. Build an optimal hadronic calorimeter (no transversal granularity) for showers between 1 and 100 GeV and stay below 50k CHF.